

- [G1.0] 1. If $\angle 2$ and $\angle 4$ are both supplementary to the same angle, what can you conclude?
- A. $\angle 2$ and $\angle 4$ are supplementary to each other.
 - B. $\angle 2$ and $\angle 4$ are acute angles.
 - C. $\angle 2$ and $\angle 4$ are right angles.
 - D. $\angle 2$ and $\angle 4$ are congruent angles.

[G1.0] 2. Inferring a general truth by examining a number of specific examples is:

- A. Law of Syllogism
- B. Law of Detachment
- C. Deductive Reasoning
- D. Inductive Reasoning

[G1.0] 3. Using logic to draw conclusions based on accepted statements is:

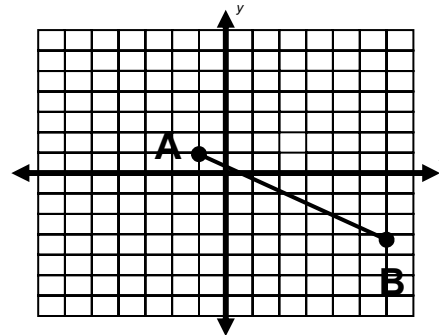
- A. Law of Syllogism
- B. Law of Detachment
- C. Deductive Reasoning
- D. Inductive Reasoning

[G17.0] 4. What is the slope of the line passing through the points $(-6, 7)$ and $(1, 5)$?

[G1.0] 5. What is the equation of the line parallel to $y = -2x - 6$ passing through the point $(4, -5)$?

[G17] 6. What is the equation of the line perpendicular to $y = 3x - 7$ through the point $(-6, 9)$?

[G17.0] 7. Using the graph below, what is the midpoint of points A and B?



[G17.0] 8. Using the graph above, what is the distance (in radical form) between the points A and B?

[G17.0] 9. If two lines are **perpendicular**, which of the following statements is **true**?

- A. slope of $l_1 = 1 / \text{slope of } l_2$
- B. $(\text{slope of } l_1)(\text{slope of } l_2) = -1$
- C. $(\text{slope of } l_1)(\text{slope of } l_2) = 1$
- D. slope of $l_1 = \text{slope of } l_2$

[G1.0] 10. "All polygons have four sides."

Which of the following is a counterexample to the assertion above?

- A. Quadrilateral
- B. Rectangle
- C. Circle
- D. Pentagon

[G1.0] 11. Let D be between A and B. Use the segment addition postulate to **find BD**.

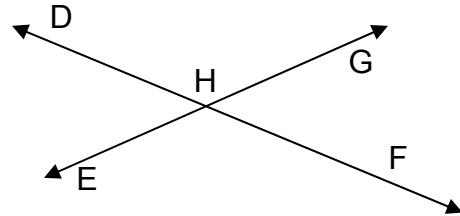
$$AD = 4x + 33$$

$$BD = 3x + 35$$

$$AB = 40$$

[G1.0] 12. $m\angle GHF = 3x - 7$,
 $m\angle DHE = 63 - 4x$.

Find **$m\angle GHF$** .

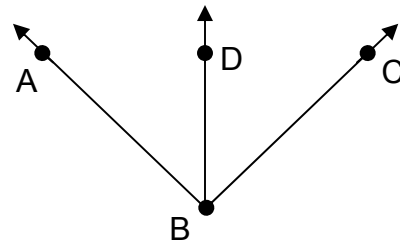


[G1.0] 13. In the figure (not to scale),

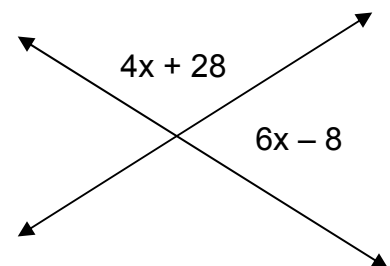
\overrightarrow{BD} **bisects** $\angle ABC$,

$m\angle ABD = 2x + 10$, and $m\angle ABC = 120^\circ$.

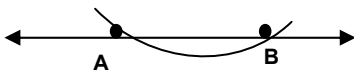
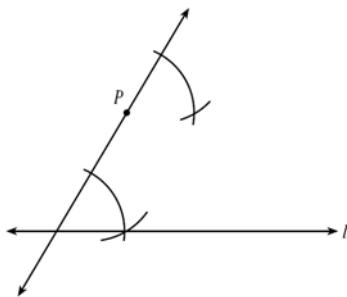
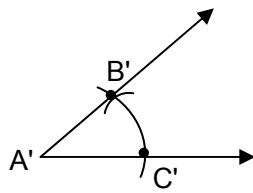
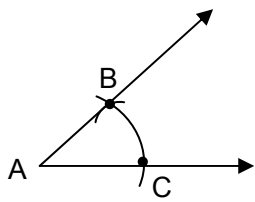
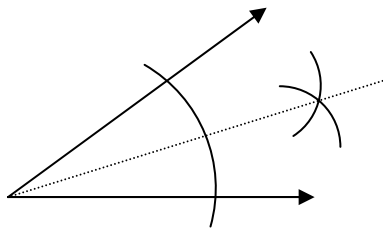
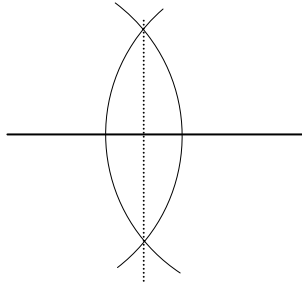
Solve for **x** and find **$m\angle ABD$** .



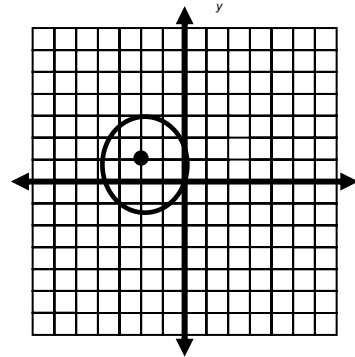
[G1.0] 14. Solve for **x** .



[G16.0] **15.** Identify each of these constructions (or partial constructions)?



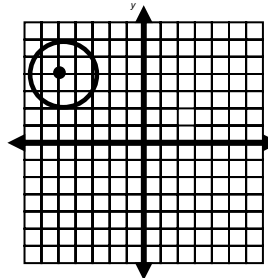
[G17.0] **16.** Given the graph below. What is the equation of the circle?



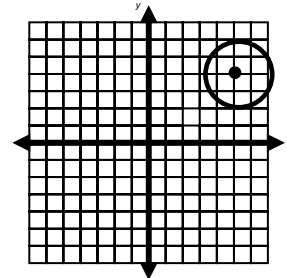
[G17.0] **17.** Which of the following graphs represents the circle with the equation

$$(x - 5)^2 + (y + 4)^2 = 4$$

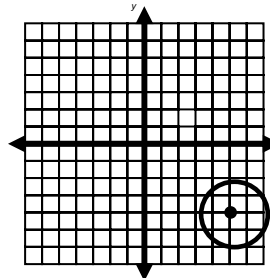
A.



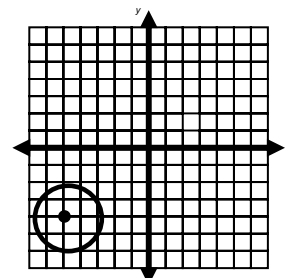
C.



B.



D.



[G22.0] **18.** The vertices of $\triangle ABC$ are **A(-2, -7), B(-1, 8) and C(7, 2)**. If $\triangle ABC$ is translated **4 units down and 3 units to the right**, what are the new coordinates of the vertices of $\triangle A'B'C'$?

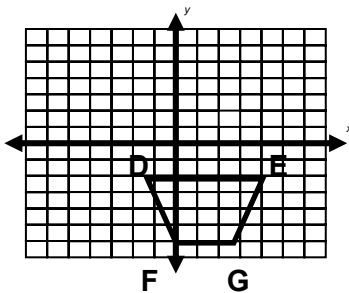
A' =

B' =

C' =

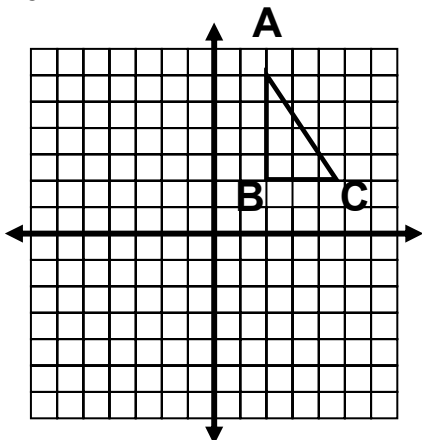
[G22.0] **19.** Trapezoid DEFG is translated to $D'E'F'G'$ using the following motion rule:

$$(x, y) \rightarrow (x - 5, y + 9).$$



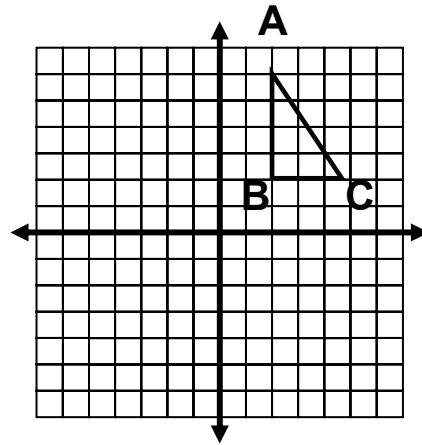
What are the coordinates of vertex **F'**?

[G22.0] **20.** $\triangle ABC$ is rotated 180° about the origin. What are the new coordinates of **A'**?

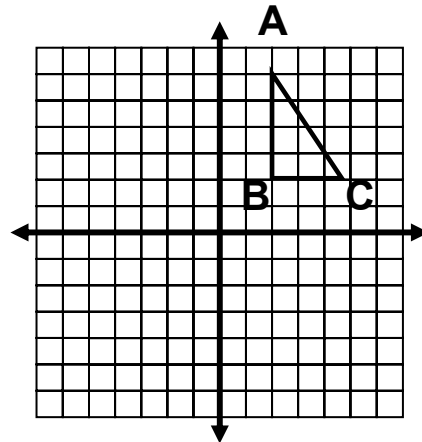


A' =

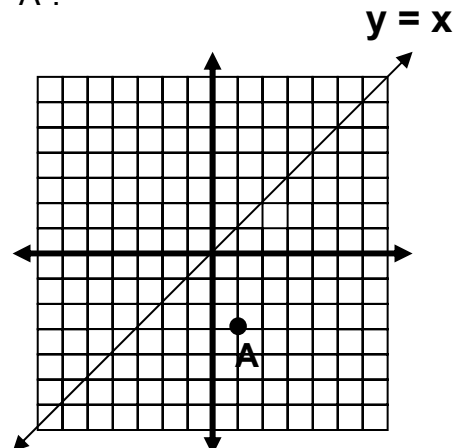
[G22.0] **21.** $\triangle ABC$ is reflected about the line **$y = -2$** . What are the new coordinates of **C'**?



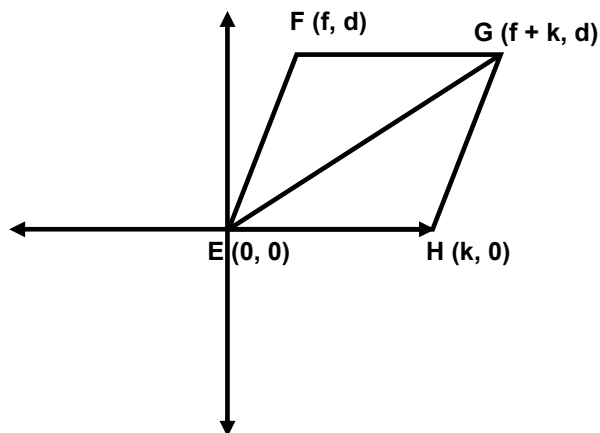
[G22.0] **22.** $\triangle ABC$ is reflected about the **y -axis**. What are the new coordinates of **C'**?



[G22.0] **23.** Point **A** is reflected about the line **$y = x$** . What are the new coordinates of **A'**?



[G17.0] **24.** Write the equation that best represents the midpoint of line segment EG.



- A. $\left(\frac{f}{2}, \frac{d}{2}\right)$
- B. $\left(\frac{f+k}{2}, \frac{d}{2}\right)$
- C. $\left(\frac{k}{2}, \frac{d}{2}\right)$
- D. (f, d)

[G1.0] **25.** Given the conditional statement $p \rightarrow q$, write the notation to represent each of the following statements:

- A. Biconditional Statement
- B. Contrapositive
- C. Converse
- D. Inverse

[G1.0] **26.** Given the statements:

“All true mathematicians love pi.”

“Mr. Guseman and Mr. Sirimanne are true mathematicians”

- A) What can you conclude based upon these two statements?
- B) Translate the first statement into a conditional (If – then) statement.
- C) What is the converse of your answer to item B?
- D) What is the contrapositive of your answer to item B?

[G1.0] **27.** Identify a counterexample to the following statement:

“If two angles are complimentary, then they must form a right angle.”



| Question # | Answer |
|------------|---|
| 1. | D (Congruent) |
| 2. | D (Inductive) |
| 3. | C (Deductive) |
| 4. | $m = -\frac{2}{7}$ |
| 5. | $y = -2x + 3$ |
| 6. | $y = -\frac{1}{3}x + 7$ |
| 7. | Mid = $\left(\frac{5}{2}, -1\right)$ |
| 8. | $D = \sqrt{65}$ |
| 9. | B |
| 10. | D (Pentagon) |
| 11. | $BD = 23$ |
| 12. | $m\angle GHF = 23^\circ$ |
| 13. | $x = 25^\circ, m\angle ABD = 60^\circ$ |
| 14. | $x = 16$ |
| 15. | Bisect a segment Bisect an angle Copy an angle Parallel line through a given point Perpendicular line through a given point |
| 16. | $(x + 2)^2 + (y - 1)^2 = 4$ |
| 17. | B |
| 18. | A'(1,-11) B'(2,4) C'(10,-2) |
| 19. | F'(-5, 3) |
| 20. | A'(-2, -6) Remember. count up / down and left / right to origin and repeat. The signs change for |

| | |
|-----|--|
| | both x and y. |
| 21. | C'(5, -6) Remember, $y = -2$ is a horizontal line, NOT a vertical line. The opposite is true for reflecting about $x = \dots$ lines. |
| 22. | C'(-5, 2) |
| 23. | A'(-3, 1) Remember, count diagonally towards the line. The x and y coordinates switch places. |
| 24. | B. Note, just plug variables into the midpoint equation just like you do numbers. |
| 25. | Bicond: $p \leftrightarrow q$ Contrapos: $\sim p \rightarrow \sim q$ Converse: $q \rightarrow p$ Inverse: $\sim p \rightarrow \sim q$ |
| 26. | |
| 27. | Any two non-adjacent \angle 's adding to 90° . |